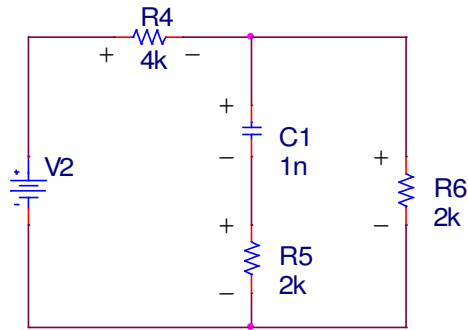


## Voltage/Current Continuity

1)



In the above circuit, the voltage is defined as follows:

$$V1 = \begin{cases} 5V & t < 0 \\ 10V & 0 < t \end{cases} \quad (\text{the voltage source changes from 5V to 10V at } t = 0)$$

a. Write V1 in the format \_\_\_\_ + (or -) \_\_\_\_u(t) (for example 2-2u(t))

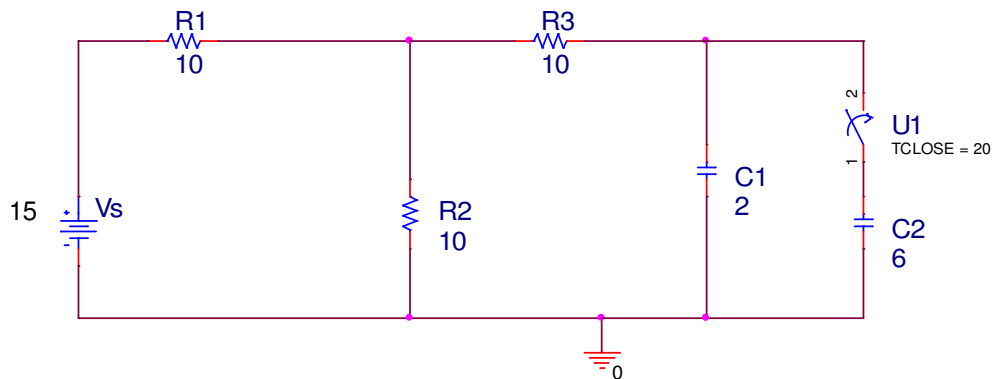
b. At  $t = 0^-$  (just before the voltage changes), determine the voltage across each component and the current through each component (use the polarities indicated in the circuit). Draw the circuit.

Component	Voltage	Current
R4		
R5		
R6		
C1		

c. At  $t = 0^+$  (just after the voltage changes), determine the voltage across each component and the current through each component for the polarities indicated in the circuit. Draw the circuit.

Component	Voltage	Current
R4		
R5		
R6		
C1		

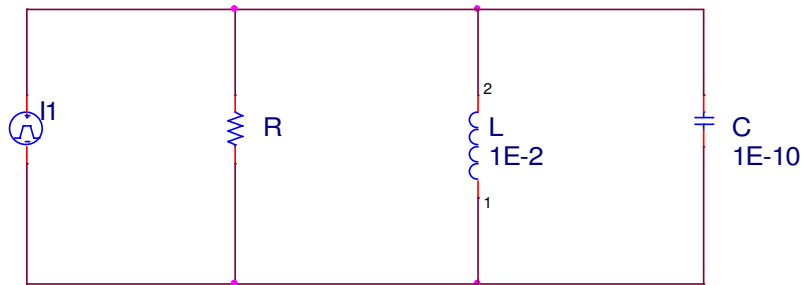
## 2) First order circuits (Differential Equations)



In the above circuit, the source turns on at  $t = 0$  with a voltage of 15V,  $V_s = 15u(t)V$ . Additionally, at  $t = 20s$  the switch in series with  $C_2$  is closed. You can (should) ignore  $C_2$  for part a) of this problem.

- For  $0 < t < 20s$ , determine the voltage across  $C_1$  as a function of time,  $V_c(t)$ . If you do any circuit reduction/transformation, include a drawing of your circuit.
- For  $t > 20s$ , determine the voltage across  $C_1$  as a function of time. Use the resistor and capacitor values in your solution. If you do any circuit reduction/transformation, include a drawing of your circuit.

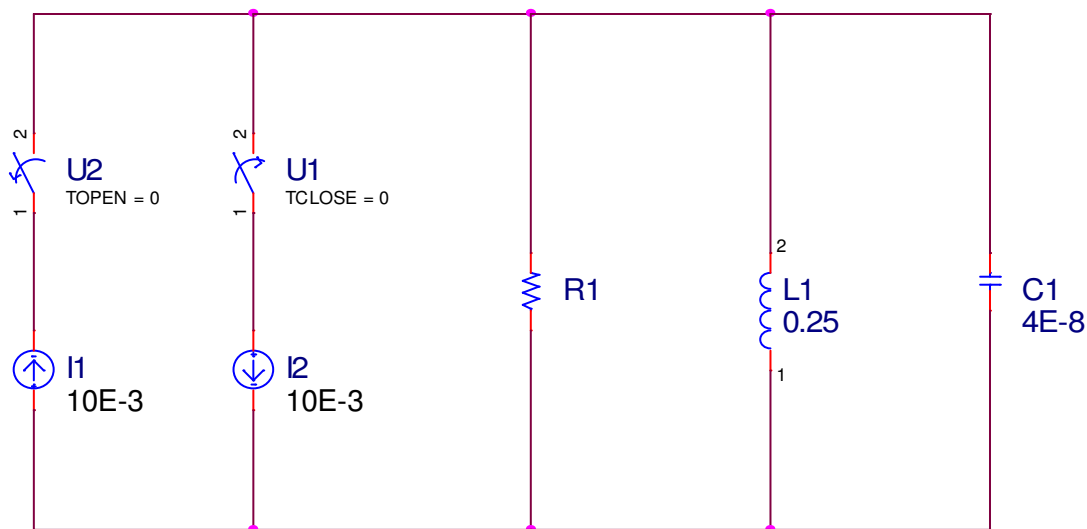
## 3) Second order differential equations



In the above circuit, the source current is 20mA for  $t < 0$  and 0 for  $t > 0$  (the source turns off at  $t = 0$ ).

- What is the initial ( $t=0+$ ) current through the inductor? What is the ( $t=0+$ ) voltage across the inductor?
- What is the DC steady state current through the inductor as  $t \rightarrow \infty$ ?
- Symbolically, what is the differential equation defining the current through the inductor?
- For  $R_1 = 100\Omega$ , determine the current through the inductor as a function of time for  $t > 0$ .

## 4) Second order, s- domain and Laplace



At  $t = 0$ , U1 closes and U2 opens

- Draw the s-domain equivalent circuit. Include all initial conditions and label your component values using symbolic notation (i.e.  $sL1$ )
- Using impedances, determine the transfer function for the current through the capacitor, C1. Use symbolic values in your expression ( $R$ ,  $L$ ,  $C$ ,  $I1$ ,  $I2$ )
- Find the current through the capacitor as a function of time for  $R1 = 12.5k$ . Is this circuit underdamped, overdamped or critically damped.
- Find the current through the capacitor as a function of time for  $R1 = 0.25k$ . Is this circuit underdamped, overdamped or critically damped.

